# Efficient Exploitation of Similar Subexpressions for Query Processing

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# ABSTRACT

Complex queries often contain common or similar subexpressions, either within a single query or among multiple queries submitted as a batch. If so, query execution time can be improved by evaluating a common subexpression once and reusing the result in multiple places. However, current query optimizers do not recognize and exploit similar subexpressions, even within the same query.

We present an efficient, scalable, and principled solution to this long-standing optimization problem. We introduce a light-weight and effective mechanism to detect potential sharing opportunities among expressions. Candidate covering subexpressions are constructed and optimization is resumed to determine which, if any, such subexpressions to include in the final query plan. The chosen subexpression(s) are computed only once and the results are reused to answer other parts of queries. Our solution automatically applies to optimization of query batches, nested queries, and maintenance of multiple materialized views. It is the first *comprehensive* solution covering all aspects of the problem: detection, construction, and cost-based optimization. Experiments on Microsoft SQL Server show significant performance improvements with minimal overhead.

# **Categories and Subject Descriptors**

H.2.4 [Database Management]: System—Query Processing

## **General Terms**

Algorithms

# **Keywords**

similar subexpressions, query optimization, query processing

#### 1. **INTRODUCTION**

Database systems frequently encounter queries containing similar subexpressions but today's systems do not automatically exploit such commonalities to speed up query

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processing. Similar subexpressions may occur in a batch of related queries or within a single complex query with multiple nested subqueries. If a database contains multiple materialized views with similar parts, view maintenance may also produce queries with common or similar subexpressions.

Historically, this problem has been referred to as *multi*query optimization but multi-query optimization is just one instance of the problem. Current query optimizers optimize queries one at a time and do not identify any commonality in queries. Because they make locally optimal choices for each query, they may miss globally optimal plans.

SQL provides two mechanisms for users to define sharable subexpressions: (virtual) views and common table expressions using the WITH clause. A view or common table expression referenced more than once in a query represents a sharing opportunity. However, simply materializing and sharing user-defined expressions is not necessarily the best choice. There may be other sharable expressions that improve performance more. It should be the responsibility of the query optimizer to detect sharing opportunities automatically and to select the best alternative in a cost-based fashion. The following example illustrates the opportunities and the optimization challenges.

Example 1 Consider the following batch of three queries against the TPC-H database that compute summary information for nations and regions.

```
Q1: select c_nationkey, c_mktsegment,
     sum(l_extendedprice) as le, sum(l_quantity) as lq
   from customer, orders, lineitem
   where c_custkey = o_custkey and o_orderkey = 1_orderkey
   and o_orderdate < '1996-07-01'
   and c_nationkey > 0 and c_nationkey < 20
   group by c_nationkey, c_mktsegment
Q_2: select c_nationkey, sum(l_extendedprice) as le,
      sum(l_quantity) as lq
   from customer, orders, lineitem
```

```
where c_custkey = o_custkey and o_orderkey = 1_orderkey
and o_orderdate < '1996-07-01'
and c_nationkey > 5 and c_nationkey < 25
group by c_nationkey
```

```
Q_3: select n_regionkey, sum(l_extendedprice) as le,
     sum(l_quantity) as lq
   from customer, orders, lineitem, nation
   where c_custkey = o_custkey and o_orderkey = 1_orderkey
   and c_nationkey = n_nationkey and o_orderdate < '1996-07-01'
   and c_nationkey > 2 and c_nationkey < 24
   group by n_regionkey
```

The first two queries join the same three tables *customer*, orders, and lineitem, but they group on different columns.

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The third query looks similar except it joins an additional table *nation* and groups on a column of that table. All three queries have slightly different selection predicates.

A traditional query optimizer would optimize the three queries separately and generate three query execution plans, each one computing the join of *customer*, *orders*, and *lineitem*.

It is obvious that execution time could be reduced by sharing some intermediate results instead of computing the same joins three times. But there are multiple sharing options. One could share the result of joining tables *customer* and *orders*, the result of joining tables *orders* and *lineitem*, possibly with some aggregation, or the result of joining all three tables, possibly also with some aggregation. It is not immediately clear which solution is the best.

In this paper, we present an efficient, scalable, and principled solution to reducing query processing time by recognizing and exploiting similar SPJG (selection-projection-joingroupby) subexpressions within a query or among a batch of queries. A query batch can either be submitted by a user or automatically generated. For example, data analysis applications frequently require a batch of queries to be executed. Query batches can also come from a set of decision-support queries or from an application generating reports.

After detecting a set of similar subexpressions, we may construct a Covering SubExpression (CSE) that contains all tuples and columns required by all the subexpressions. The optimizer evaluates different CSEs and determines which ones, if any, to use in the final optimal plan. The chosen CSE(s) are computed only once and the results are reused to compute other parts of queries.

Our solution has been prototyped in Microsoft SQL Server. Extensive experimental results show very significant reduction in execution time with only moderate increase in optimization time. Our main contributions are as follows.

(a) We introduce a new light-weight mechanism, called *table signatures*, for rapidly finding groups of potentially sharable SPJG subexpressions. The overhead is minimal if there are no sharable expressions.

(b) Our algorithm is the first to consider all detected sharing opportunities and select among them in a cost-based manner. We even allow *CSEs* themselves to share smaller subexpressions. Previous work missed many optimization opportunities.

(c) Our algorithm is the first to correctly optimize queries in the presence of multiple *CSEs* and it fits seamlessly into a commercial-grade optimizer.

(d) Finally, our solution is automatically applied to all query expressions regardless of whether they originate from a single query, a query batch, or view maintenance.

The rest of this paper is organized as follows. We first give an overview of our solution in Section 2. We describe our light-weight mechanism for detecting sharable subexpressions in Section 3. In Section 4, we present how to construct candidate CSEs covering a set of similar subexpressions and describe cost-based heuristics to prune out clearly poor choices. We extend optimization to consider multiple CSEs in Section 5. We outline three potential applications and present experimental results in Section 6. Finally, we survey related work in Section 7 and conclude in Section 8.

# 2. SYSTEM ARCHITECTURE

We start with describing our overall design. To assist the reader in understanding the optimization process, we first give a brief overview of transformation-based optimizers built on the Volcano [7] or the Cascades [6] framework.

# 2.1 Brief Optimizer Overview

Conceptually, an optimizer generates all possible rewritings of a query expression and chooses the one with the lowest estimated cost. A transformation-based optimizer applies local transformation rules on query subexpressions and may generate a large number of expressions during optimization. Graefe [6] describes a *memo* structure that very compactly stores a set of operator trees by consolidating expressions into a DAG (directed acyclic graph).

Nodes in the memo DAG are called *groups*. Each group is assigned a unique group number and is composed of a set of logically equivalent *group expressions*. A group expression contains a single query operator that references its inputs (children) by group numbers. All group expressions within a group generate the same set of result tuples. A group may be referenced by many different group expressions in other groups. Groups and group expressions are consolidated representations of sets of equivalent expressions (operator trees).

Optimization of a query proceeds in several phases with early phases applying fewer transformation rules than later phases. The decision whether to proceed with the next optimization phase depends on the complexity of the query, the cost of the best plan found so far and the elapsed optimization time. Simple, cheap queries may only go through the first phase.

# 2.2 Solution Overview



Figure 1: Overall System Architecture

Figure 1 shows the overall system architecture and the three key steps in our solution. The *covering subexpression* (CSE) manager is a new optimizer component. Its function will become clear as we describe our approach in more detail. We also added one more optimization phase, the *covering subexpression* (CSE) optimization phase, which is entered after normal optimization but only if the query is expensive and contains potentially sharable subexpressions.<sup>1</sup>

#### Step 1: Table signature generation

When a query is submitted, it is first compiled and optimization proceeds in the normal way. The optimizer rewrites the query in different ways by applying transformation rules. For each logically unique expression generated by the optimizer, we compute its *table signature* and register it with the *CSE* manager. This is shown in Figure 1 as *Step 1*. The purpose of this step is to allow detection of potentially sharable expressions with minimal overhead.

 $<sup>^1\</sup>mathrm{A}$  batch of queries is treated as a single complex query by tying them together with a dummy root operator.

A table signature is a very simple abstract of an expression but with the crucial property that *expressions with different table signatures cannot be computed from a covering subexpression.* Table signatures are described in more detail in Section 3. The *CSE* manager maintains a hash table that records every table signature found in the query with pointers back to the expressions corresponding to the signatures.

If no cheap plan is found during normal optimization, we proceed with Step 2 and enter the CSE optimization phase.

#### Step 2: Generation of candidate CSEs

The manager first checks its hash table looking for table signatures that reference two or more expressions originating from different parts of the query. These expressions are the potentially sharable expressions. This check is the first part of *Step 2* in Figure 1. If no such expressions are found, we exit and generate a final execution plan in the normal way.

For each set of potentially sharable expressions, we construct candidate CSEs. A candidate CSE is a logical expression with a *spool* operator on top. The spool operator materializes the result in a work table so that it can be reused multiple times. We describe how to construct a CSE covering a given set of expressions and also heuristics to prune out less promising candidates in Section 4.

If at least one candidate CSE is generated, we proceed with *Step 3*, which resumes query optimization to select the best CSE(s) and generate a final execution plan.

#### Step 3: Optimization with candidate CSEs

We treat each candidate CSE in the same way as a (materialized) view and rely on the optimizer's view matching mechanism to generate equivalent rewrites. The choice of CSEs in the final plan is entirely cost based. If more than one candidate CSE is available, the optimizer may optimize the query multiple times with different sets of candidates. We do not force the optimizer to use CSEs – the optimizer may conclude that the most efficient solution is not to use any CSEs at all. We discuss how to incorporate consideration of CSEs into query optimization in Section 5.

#### 3. TABLE SIGNATURES

Table signatures are at the core of our mechanism for cheaply detecting potentially sharable subexpressions. Because most queries do not contain any similar expression, the mechanism has to be extremely light-weight with minimal overhead during normal optimization.

**Definition 3.1 (Table Signatures)** A table signature  $S_e$ exists for an expression e iff e represents an SPJG expression. If  $S_e$  exists, it is a binary tuple  $S_e = [G_e; T_e]$  where

- G<sub>e</sub> is a boolean indicating whether e contains a groupby operation.
- $T_e$  is the set of source tables (or views) in e.

SPJG signatures described in [2] are similar to table signatures but contain more information and are more expensive to compute. They cannot be used for commonality detection because different instances of the same table have different SPJG signatures.

Table signatures serve as high level abstracts of expressions. Two expressions with different table signatures cannot be covered by the same CSE. Table signatures are used as a fast filter to detect potentially sharable SPJG expressions. For example,  $\pi_{c_1,c_2,sum}(\gamma_{c_1,c_2}(\sigma_{p_1}(A) \bowtie \sigma_{p_2}(B)))$  and  $\pi_{c_3,min}(\gamma_{c_3}(\sigma_{p_3}(A) \bowtie \sigma_{p_4}(B)))$  have the same table signature  $[T; \{A, B\}]$  even though they have different predicates and column lists. Nevertheless, the two expressions *could* share some computation of join and aggregation. However, neither expression can share computation with  $\gamma(\sigma(C) \bowtie \sigma(D))$  which has a different table signature [F; {C, D}].

| Operator            | Table Signature  |
|---------------------|--|
| Table/View $(t)$    | $S_t = [\mathbf{F}; t]$  |
| Select $(\sigma)$   | $S_{\sigma(e)} = S_e, \text{ if } G_e = \mathbf{F}$  |
| Project $(\pi)$     | $S_{\pi(e)} = S_e, \text{ if } G_e = \mathbf{F}$   |
| Join $(\bowtie)$    | $S_{e_1 \bowtie e_2} = [\mathbf{F}; T_{e_1} \cup T_{e_2}], \text{ if } G_{e_1} = G_{e_2} = \mathbf{F}$ |
| Group-by $(\gamma)$ | $S_{\gamma(e)} = [\mathbf{T}; T_e], \text{ if } G_e = \mathbf{F}$                                      |

# Figure 2: Rules for Computing Table Signatures (For all other cases not listed, $S_e = \emptyset$ )

The table signature for an SPJG expression can be computed efficiently and incrementally by traversing the operator tree in post order and, at each node, applying the rules shown in Figure 2. The output signature is calculated using only the signatures of the input trees and local information. For example, the signature of  $\gamma(\sigma(C) \bowtie \sigma(D))$  can be calculated from the signatures of  $\sigma(C)$  and  $\sigma(D)$  using the join rule.

We store table signatures along with groups and group expressions in the memo to facilitate the optimization process. Table signatures are computed incrementally over group expressions and groups. We omit the details due to space limitation. The overhead of computing signatures is so small that we could not reliably measure it in our experiments.

# 4. GENERATING CANDIDATE CSES

A set of expressions with the same table signature reference the same input tables so, in principle, it is always possible to create a CSE that covers all the expressions. However, in the worst case, this may require a covering expression consisting of the Cartesian product of the input tables. The result may be so large that it is better to compute each expression from scratch. At the other extreme, we could create a covering expression for every possible subset of expressions and let the optimizer figure out which ones, if any, to use. This is not practical either because it might greatly increase optimization time. The goal of *Step 2* is to generate a small number of *promising CSEs* but without losing opportunities.

#### 4.1 Join Compatible Expressions

To avoid *CSEs* containing Cartesian products, we require that the covered expressions are *join compatible*, that is, have "enough" joins in common. Virtually all joins are equijoins so we consider only equijoins when defining join compatibility.

Let  $E = \sigma_p(T_1 \times T_2 \times \cdots \times T_n)$  be a normalized SPJ expression. The equijoins in E can be summarized compactly by a collection of *equivalence classes* [5] based on the column equality conditions in p. An equivalence class is a set of columns that are guaranteed to be equal in the result of E. Computing the equivalence classes is straightforward and can be found in [5]. From the collection of equivalence classes, we construct the *equijoin graph* for E. The equijoin graph contains one node for each table  $T_i$  in E. There is an edge between nodes  $T_i$  and  $T_j$  if there exists an equivalence class containing a column from  $T_i$  and a column from  $T_j$ .

**Definition 4.1** Two SPJ expressions  $E_1$  and  $E_2$  over the same set of tables are join compatible if the equijoin graph

 $constructed \ from \ the \ intersection \ of \ their \ equivalence \ classes is \ connected.$ 

The intersection of equivalence classes  $C_1$  and  $C_2$  is defined in the natural way: for every pair of sets, one from  $C_1$  and one from  $C_2$ , output their intersection.

# **Example 2** Expressions $R \bowtie_{R.a=S.d \land R.b=S.e} S$ and

 $R \bowtie_{R.a=S.d \land R.c=S.f} S$  are join-compatible. The intersection of their equivalence classes equals  $\{\{R.a, S.d\}, \{R.b, S.e\}\} \cap$  $\{\{R.a, S.d\}, \{R.c, S.f\}\} = \{\{R.a, S.d\}\}$ . The corresponding equijoin graph is connected; it consists of two nodes R and S and there is an edge between them (generated by the equivalence class  $\{R.a, S.d\}$ ). However, expressions  $R \bowtie_{R.a=S.d \land R.b=S.e} S$  and  $R \bowtie_{R.c=S.f} S$  are not join compatible. The intersection of their equivalence classes is empty so the equijoin graph has two nodes but no edges. \*

The simplest way to derive join compatibility among a set of expressions is as follows. For each expression, first extract its full operator tree from the memo and construct its equivalence classes. Then proceed with testing join compatibility by intersecting equivalence classes and checking connectivity of equijoin graphs.

However, it can be somewhat expensive to extract from the memo an operator tree matching a given table signature and to construct its equivalence. It turns out that we can often avoid the extraction step and derive join compatibility for a set of expressions from the join compatibility of their subexpressions. We illustrate the process by an example.

Example 3 Consider the following two expressions

$$e_1 = \sigma_{pr_1}(R) \bowtie_{p_1} S \bowtie_{p_2 \land p_3} \sigma_{pt_1}(T)$$
$$e_2 = \sigma_{pr_2}(R) \bowtie_{p_1} \sigma_{ps_2}(S) \bowtie_{p_2} \sigma_{pt_2}(T)$$

All the joins are assumed to be equijoins. If we know that subexpressions  $e'_1 = \sigma_{pr_1}(R) \Join_{p_1} S$  and  $e'_2 = \sigma_{pr_2}(R) \Join_{p_1} \sigma_{ps_2}(S)$  are join compatible, and that subexpressions  $e''_1 = S \Join_{p_2 \wedge p_3} \sigma_{pt_1}(T)$  and  $e''_2 = \sigma_{ps_2}(S) \Join_{p_2} \sigma_{pt_2}(T)$  are join compatible, we can safely conclude that  $e_1$  and  $e_2$  are join compatible.

Here is the reasoning. The equijoin graph of  $e'_1$  and  $e'_2$  consists of nodes R and S and an edge (R, S). Otherwise the graph would not be connected and the expressions would not be join compatible. Similarly, the equijoin graph for  $e''_1$  and  $e''_2$  consists of node S and T and an edge (S, T). The equijoin graph of  $e_1$  and  $e_2$  consists of, at least, the union of these two equijoin graphs. The union of the two graphs contains nodes, R, S, and T, and edges (R, S) and (S, T). That is, the union graph covers all tables and is connected. It follows that  $e_1$  and  $e_2$  are join compatible.

However, such optimization may not always work because the optimizer may not have explored enough subexpressions. If so, we fall back on deriving join compatibility by the basic method described in the beginning of this section.

# 4.2 Covering Subexpressions (CSE)

The join-compatibility analysis divides expressions with the same table signature into join-compatible groups. Each group contains only mutually join-compatible expressions. The next step is to generate candidate CSEs for each group containing more than one expression.

Given a set of target expressions, a covering subexpression (CSE) that contains all tuples and columns required by the target expressions can be constructed as follows. We call the target expressions *potential consumers* of the CSE.

- 1. Compute equivalence classes for all potential consumers and take their intersection. Create an N-ary join operator, with equijoin predicates from the intersected equivalence classes.
- 2. Simplify the selection predicate of each potential consumer by deleting any conjunct already included in the join predicate constructed in step 1.
- 3. Add a covering selection predicate, if any, by OR'ing the simplified predicates. AND the covering predicate to the join predicate constructed in step 1.
- 4. If aggregation is required, add a group-by operator on top of the N-ary join. Its grouping columns consists of the union of the following: the group-by columns of all potential consumers and all columns referenced in the covering predicate constructed in the step 3. Its aggregation expressions (functions) include aggregation expressions from all potential consumers.
- 5. If needed, add a projection operator on top. Include as output columns, all columns and (aggregation) expressions that are required to compute the result of a potential consumer.

6. Add a spool operator on top.

~

Example 4 Consider the following two expressions

$$\gamma_{c_1,c_2}^{e_1}(\sigma_{pa_1}(A) \bowtie_{p_1} B \bowtie_{p_2 \land p_3} \sigma_{pc_1}(C)))$$
$$\gamma_{c_1}^{e_2}(\sigma_{pa_2}(A) \bowtie_{p_1} \sigma_{pb_2}(B) \bowtie_{p_2} \sigma_{pc_2}(C)).$$

All joins are assumed to be equijoins. Both expressions have table signature  $[T; \{A, B, C\}]$  and are join compatible. We first convert the expression into normal form, which produces  $\gamma_{c_1,c_2}^{e_1} \sigma_{pa_1 \wedge p_1 \wedge p_2 \wedge p_3 \wedge pc_1}(A \times B \times C)$  and

 $\gamma_{c_1}^{e_2} \sigma_{pa_2 \wedge p_1 \wedge pb_2 \wedge p_2 \wedge pc_2} (A \times B \times C)$ . The common join predicates are  $p_1$  and  $p_2$ . To create the covering predicate, we first drop  $p_1$  and  $p_2$  from both predicates and then OR the result. We also need a group-by operator. Suppose the covering predicate references columns  $c_2$  and  $c_3$ . The group-by columns for the operator are then  $\{c_1, c_2\} \cup \{c_1\} \cup \{c_2, c_3\} = \{c_1, c_2, c_3\}$  and the aggregation expressions are  $e_1$  and  $e_2$ . The CSE (without the spool operator) is then

 $\gamma_{c_1,c_2,c_3}^{e_1,e_2} \sigma_{p_1 \wedge p_2 \wedge ((pa_1 \wedge p_3 \wedge pc_1) \vee (pa_2 \wedge pb_2 \wedge pc_2))}(A \times B \times C)$ 

#### 4.3 Candidate Generation

Suppose we have a group with four consumers. What candidate CSEs should we generate? A simple solution would be to create a single CSE that covers all four consumers. However, this is not necessarily the best solution. The CSEmay produce a very large result that does not fit any of its consumers well. This may happen, for example, if the consumers require different sets of columns or different sets of tuples. In that case, each consumer may have to "wade through" a lot of data that it does not need. This illustrates the fact that we must consider multiple candidate CSEs, each one covering some subset (or all) of the consumers. We cannot a priori decide that a single CSE covering all consumers is the best solution.

Ideally, we would create a candidate CSE for every subset of consumers. But this exhaustive algorithm is exponential in the number of consumers. Instead we use the greedy algorithm described in Algorithm 1. We create one trivial CSEfor each consumer, which is, of course, exactly the same as its only consumer. We start with a trivial CSE and greedily merge in one other trivial CSE at a time to maximize the merging benefit until no more beneficial merging is available. **Algorithm 1**: CreateCandidateCSE(E)

\*/ \*/ Input: ExprSet E /\* Set of join compatible expressions <sup>\*</sup> with the same table signature **Output**: CandidateSet C CandidateSet R, M;Bool IsCandidate;  $R = \text{TrivialCandidateSet}(E); \quad C = \emptyset;$ Apply heuristics in Section 4.3.1 and 4.3.2 to reduce R. while |R| > 1 do Pick  $r \in R$ ;  $R = R - \{r\};$  $M = E - \{r\};$ IsCandidate = F;while  $M \neq \emptyset$  do Pick  $m \in M$  which maximizes the benefit  $\Delta$ ; \*/ \* $\Delta$  defined in Section 4.3.3. if  $\Delta > 0$  then  $r = \text{Merge}(r, m); \quad IsCandidate = T;$  $M = M - \{m\};$  $R = R - \{m\};$ else break; /\*no more beneficial merging exists \*/ end  $\mathbf{end}$ if *IsCandidate* then  $C = C + \{r\};$ end return C:

If there are still trivial CSEs that have not been merged, we apply the algorithm again to the remaining trivial CSEs.

During generation, several heuristic rules are applied to prune out candidate CSEs that are not promising or are less promising than other candidates. The goal is to reduce the number of candidate CSEs generated but without missing opportunities. We have to be careful to keep the overhead of the heuristic rules low. In particular, we cannot afford to fully cost each candidate CSE, as done in [1].

Fortunately, we are not completely helpless. Because normal optimization phases have completed before entering the CSE phase, the memo structure contains a wealth of information that can be exploited. It contains the best solution found so far for the query and its final cost  $C_Q$ . A group may have been optimized several times, each time with different requirements on the solution, for example, unsorted or sorted on a given set of columns. For each group and requirements, we know the best solutions found, if any, and cost bounds, including both the upper bound and the lower bound. Our heuristics exploit these optimal costs or cost bounds to prune out candidates that do not appear promising. The actual costs for using a candidate are computed and evaluated during later optimization as described in Section 5. Our heuristics are applied in a conservative manner in that they are only active if all required cost bound information is available.

In the rest of this section, we describe four important cost-based heuristics. As we shall see in Section 6, they are both effective and efficient. We denote the cost of the best solution found before CSE optimization by  $C_Q$ . For a giving candidate, we denote its N potential consumers by  $G_1, \ldots, G_N$ .

#### 4.3.1 Don't Bother With Cheap Expressions

The first heuristic is based on the observation that only expensive expressions are worth consideration. The criteria is that the total cost of all potential consumers must be a significant part of the overall query cost. Otherwise, the potential improvement is likely to be too small to be worth the potential optimization overhead.

Heuristic 1 Consider a candidate CSE and denote the lower

cost bound of its potential consumer  $G_i$  by  $C_{G_i}^{lower}$ . Discard this CSE if there is not enough potential savings, that is, if it satisfies the condition

$$\frac{\sum C_{G_i}^{lower}}{C_Q} < \alpha$$

where  $\alpha$  is a constant. In our experiments, we use  $\alpha = 10\%$ .

We use the lower cost bound here because it represents either the cost of its optimal solution or the cost of another competing plan.  $\sum C_{G_i}^{lower}$  represents the maximum possible contribution from all the consumers. We apply this heuristic both before and after analyzing join compatibility. Applying it before analyzing join compatibility among a set of potential consumers helps discard obviously trivial cases immediately. After join compatibility analysis, we can apply this heuristic again because we may lose some consumers due to join incompatibility and the remaining potential improvement may no longer be compelling.

**Example 5** Consider the three queries in Example 1. The join of *customer* and *orders* could be shared by three potential consumers. However, the cost of this join operation is so low, compared to the query overall cost, that we can safely exclude this candidate from further consideration. \*

#### 4.3.2 Exclude Consumers With Huge Results

Sharing CSEs does not come free of charge. There are three costs associated with a CSE~E. First, the expression E is evaluated once. We denote the evaluation cost by  $C_E$ . The "spool" operator materializes the result into an internal work table at a writing cost of  $C_W$ . Each consumer reads the work table sequentially and performs any required additional computation, such as evaluating compensation predicates, etc. We denote the combined usage cost by  $C_R$ . For each candidate CSE, we know what columns it must output to serve all its consumer(s). Together with the estimated cardinality, we can calculate both  $C_W$  and  $C_R$  based on the estimated data volume written and read.

A candidate CSE that produces a large result has high materialization and reading costs. To avoid generating candidates that produce very large results, we exclude a consumer from consideration if the cost of materializing and reading its result is higher than computing the expression from scratch. We estimate the cost of computing an expression from scratch conservatively by using its upper cost bound, that is, the maximum cost among the optimal plans in the group to which the expression belongs.

**Heuristic 2** Consider a candidate CSE with N consumers. For a given consumer  $G_i$ , denote its upper cost bound by  $C_{G_i}^{upper}$ , the cost of materializing its result by  $C_{W_i}$ , and the cost of using the result by  $C_{R_i}$ . Discard consumer  $G_i$  if it satisfies the condition

$$C_{G_i}^{upper} < C_{R_i} + \frac{C_{G_i}^{upper} + C_{W_i}}{N}$$

Note that if a candidate is created to cover consumer  $G_i$ only, the cost of evaluating the candidate is at most  $C_{G_i}^{upper}$ . In the best case, both the evaluation cost and the materialization cost are shared by all consumers (right side of the inequality). Even so, if it is still cheaper to compute the expression from scratch (left side of the inequality), we can safely exclude this consumer from consideration. The criteria identifies consumer expressions that are cheap to compute but generate a large result. **Example 6** Consider the following two queries that join *customer* and *orders* in a TPC-H database.

```
Q4: select *
    from customer, orders where c_custkey = o_custkey
Q5: select c_name, c_nationkey, o_totalprice
    from customer, orders where c_custkey = o_custkey
```

The join of *customer* and *orders* could be shared between the two queries. However,  $Q_4$  requires all columns from *customer* and *orders* so the cost of just writing the result would be significantly higher than the cost of computing the query from scratch. Therefore, consumer  $Q_4$  should be discarded and no candidate is generated. \*

#### 4.3.3 Merge Only When Beneficial

Merging two candidates can save redundant computation but it is not always beneficial because the new CSE may produce a larger result than the source CSEs and thus significantly increase the materialization cost and reading cost for its consumers. We should create a merged CSE only when using the merged one is cheaper than using the two source ones separately.

With N final consumers, using a  $CSE \ E$  contributes a total cost of  $C_E + C_W + \sum^N C_R$  to the final query cost. As indicated earlier,  $C_W$  and  $C_R$  can be estimated based on the cardinality of the expression and the set of output columns.

To obtain a correct estimate of the evaluation  $\cot C_E$  we would have to invoke the optimizer on the merged expression but this may be expensive. Instead we approximate it using the cost bounds of its consumers as follows. Clearly, the cost of the merged expression must be at least as high as the lowest cost bound of each of its consumers. That is, we find the lowest cost bound of each one of its consumers and use the highest among them as a lower cost bound for the merged expression. Denote this lower cost bound as  $C_L^{lower}$ .

**Heuristic 3** Consider two candidate CSEs  $E_i$  and  $E_j$  with  $N_i$  and  $N_j$  consumers, respectively.  $C_{E_i}^{lower}(C_{E_j}^{lower})$  represents the estimated lower bound on evaluation cost,  $C_R^i(C_R^j)$  represents the usage cost and  $C_W^i(C_W^j)$  represent the writing cost. The expression E created by merging  $E_i$  and  $E_j$  would have N consumers ( $N \leq N_i + N_j$ ), an estimated lower bound on evaluation cost of  $C_E^{lower}$ , a usage cost of  $C_R$  and a writing cost of  $C_W$ . The benefit for merging is defined as  $TotalCost_{E_i} + TotalCost_{E_j} - TotalCost_E$ .

Computing the merged CSE cannot be cheaper than computing one of the source CSEs, that is,  $C_E^{lower} \geq max(C_{E_i}^{lower}, C_{E_i}^{lower})$ . We estimate benefit  $\Delta$  as

$$\Delta = (C_W^i + \sum_{k=1}^{N_i} C_R^i + C_W^j + \sum_{k=1}^{N_j} C_R^j) - (C_W + \sum_{k=1}^{N} C_R) - max(C_{E_i}^{lower}, C_{E_j}^{lower})$$

Merge the two candidate CSEs only if  $\Delta > 0$ .

**Example 7** Consider the following two queries that join *orders* and *lineitem* in a TPC-H database.

- $Q_6\colon \texttt{select o\_orderkey}, \texttt{l\_extendedprice}$  from orders, <code>lineitem</code> where <code>o\\_orderkey=l\\_orderkey</code> and <code>o\\_orderdate='1995-01-01'</code>
- Q7: select o\_orderkey, l\_extendedprice
   from orders, lineitem
   where o\_orderkey=l\_orderkey and o\_orderdate>'1995-01-01'

Both queries contain a join between orders and lineitem. We create a (trivial) candidate CSE for each of the two consumers. Is it worthwhile creating a merged CSE covering both consumers? The result of the merged CSE would be fairly large because consumer  $Q_7$  requires all items ordered after 01/01/1995. On the other hand, before merging, the expression for the other consumer  $Q_6$  is extremely cheap due to an index on o\_orderdate. Computing  $Q_6$  from the merged CSE would be much more expensive because we would have to scan the whole result of the CSE. In the end,  $\Delta = (C_R^{Q_6} + C_R^{Q_6} + C_R^{Q_7} + C_W^{Q_7}) - (\sum^2 C_R^E + C_W^E) - C_{Q_6} < 0.$ According to this heuristic, merging is not helpful.

#### 4.3.4 Containment Checking

Whenever two or more expressions are equivalent, they also share equivalent subexpressions. This means that whenever we create a candidate CSE for a set of consumers, those consumers may share many subexpressions, for which we could also create candidate CSEs. We could blindly create candidate CSEs for all shared subexpressions and let the optimizer determine which ones are the most beneficial. This is wasteful because in many cases we can safely determine that a candidate is dominated by another candidate.

**Definition 4.2 (Containment)** A candidate CSE  $E_c$  is contained by another candidate CSE  $E_p$  if

- The set of input tables of E<sub>c</sub> is a subset of the set of input tables of E<sub>p</sub>;
- Each of E<sub>c</sub>'s consumers G<sub>c</sub> is a descendant of one of E<sub>p</sub>'s consumers G<sub>p</sub> in the operator tree. That is, in the memo structure, group(G<sub>c</sub>) is a descendant group of group(G<sub>p</sub>).

We say that the parent candidate  $E_p$  is wider because it references more tables than the child candidate  $E_c$ . A wider CSE is usually preferable because it incorporates more shared computation than a narrower one. However, this is not always true; the wider CSE may produce a much larger result such that the narrower one may become more beneficial.

**Example 8** Consider the query shown in Figure 3(a). The three-way join of A, B, and C appears twice in the operator tree. We can create a candidate  $E_2$ , shown in Figure 3(c), corresponding to the three-way join. At the same time, any two-way join among A, B, and C is also shared by two consumers. For example, candidate  $E_1$  can be created, shown in Figure 3(b), corresponding to the two-way join of A and B.



 $E_1$  has a consumer set of  $\{G_6, G_4\}$  and  $E_2$  has a consumer set of  $\{G_3, G_2\}$ . At first glance,  $E_2$  appears to be preferable because more work is shared. However, if  $E_2$  is much larger than  $E_1$ , the materialization and reading costs may be significantly higher than for  $E_1$ . If so, the narrower expression  $E_1$  may be preferable.

In this example, the two CSEs have the same number of potential consumers but this is not always the case. As shown later in the experiments, a narrower  $CSE E_c$  may have more consumers than a wider  $CSE E_p$ . In that case, by definition,  $E_c$  is not contained by  $E_p$ .

**Heuristic 4** Consider a candidate  $CSE E_c$  that is contained by another candidate  $CSE E_p$ . Suppose  $E_c$  produces a result with estimated size  $S_c$  and  $E_p$  produces a result with estimated size  $S_p$ . Discard the contained  $E_c$  if

$$S_c > \beta \times S_p$$

where  $\beta$  is a constant. In our experiments, we use  $\beta = 90\%$ .

CSE containment is very common for queries with joins of multiple tables. This heuristic prunes out a large number of small, less promising candidate CSEs and reduces optimization time dramatically.

**Example 9** We consider the three queries in Example 1 again and two candidate CSEs:  $E_1$  that joins customer, orders, and lineitem and  $E_2$  that aggregates on columns  $(c\_nationkey, c\_mktsegment)$  after the join. Considered in isolation, each expression seems to be useful and is not pruned out by earlier heuristics. However,  $E_1$  is contained by  $E_2$  and  $E_2$  is even smaller than  $E_1$  because of the aggregation. By the containment heuristic,  $E_2$  is always preferable to  $E_1$ . We can exclude  $E_1$  without missing opportunities. \*

# 5. OPTIMIZATION WITH CSES

If any candidate CSE remains after the heuristic pruning, we resume query optimization to determine which candidates, if any, to make use of in the final plan. In general, adding another phase to optimization is much cheaper than optimizing from scratch because only some parts of the query are reoptimized and all optimization information gathered in previous phases helps avoid redundant work.

Due to space limitations, we only list important optimization strategies in this paper. We also omit the details on handling stacked CSEs, described in Section 5.5.

# 5.1 General Procedure

We treat candidate CSEs in the same way as materialized views and rely on the view matching algorithms [5] to generate substitute expressions. For example, a substitute may include a compensation predicate over a CSE. The optimizer compares the plan using the CSE against other alternatives in its normal cost-based fashion. The final plan may or may not use the CSE.

For each candidate, we know exactly which expressions are potential consumers. To avoid reapplying view matching for every expression in the query, we enable the view matching rule only for consumer expressions.

#### 5.2 CSE Costing

Costing CSEs properly is crucial for correct optimization. As discussed earlier, a CSE has a "spool" operator on top, which materializes the result of the expression. There are three costs associated with a CSE. We call the combination of  $C_E$  and  $C_W$  the initial cost of the CSE.

Normal costing of a spool operator assumes that the operator has a *known* set of consumers. Under this assumption, costing of a spool operator is straightforward. With N consumers, the optimizer splits the initial cost of the spool among all the consumers so that each consumer gets charged

a cost of  $C_R + \frac{C_E + C_W}{N}$  for using the spool. However, in the case of a CSE, we only know a set of *potential* consumers. There is no guarantee that every consumer will eventually use the CSE. For example, some consumer may choose an even cheaper solution, such as an index operation or using materialized views, etc. Simple cost splitting may result in incorrect costing for the rest of the consumers. We illustrate the issues by an example.

**Example 10** Figure 4(a) shows a (simplified) operator tree of a query.  $G_0$  to  $G_6$  indicate which memo groups the operators originates from. The query has three similar subexpressions rooted at  $G_3$ ,  $G_5$ , and  $G_6$ . We create a candidate covering all three subexpressions, shown in Figure 4(b). Groups  $G_3$ ,  $G_5$ , and  $G_6$  are its potential consumers.



Figure 4: CSE Optimization

The optimizer traverses the operator tree in post order. Consumers  $G_3$ ,  $G_5$ , and  $G_6$  are optimized individually and substitutes using the CSE are generated. When optimizing  $G_3$ , the optimizer does not know whether the CSE will also be used by  $G_5$  and  $G_6$ . For the reasons described earlier, we cannot split the initial cost into three parts and charge each consumer one third of the cost.

Another possibility is to charge the whole initial cost plus the usage cost for the first consumer and charge only the usage cost for the rest consumers. However, this is not feasible either. It treats the first consumer so unfavorably that its cost of using the CSE is always more expensive that its cost of not using the CSE. As a result, the plan using the CSE would be pruned out by the optimizer and there would be no first consumer.

The correct solution is to charge the usage cost  $C_R$  for each consumer that uses a candidate CSE but only add the initial cost once we know the decision of all consumers. But, where and when can we add the initial cost?

Of course, we can always add the initial cost at the root group of the query, that is, group  $G_0$  in Figure 4(a). But this is later than necessary and may waste optimization time. Before reaching the root group, the optimizer may (wrongly) select subplans using the CSE because only usage costs have been charged yet. After adding the initial costs, the final plan may be more expensive than other alternatives. But the optimizer could not tell until it reached the root group  $G_0$ . At that time, a lot of optimization work done for the plan turns out to be useless. To avoid this wasted effort, we need to add the initial cost as soon as possible.

**Definition 5.1 (Least Common Ancestor)** In an operator tree, the least common ancestor of a set of nodes S is the lowest node p in the tree such that every node in S is descendant of p.

The groups in the memo structure form are connected in a DAG. The least common ancestor for a set of groups  $\mathcal{G}$  is the lowest group p in the DAG such that every group in  $\mathcal{G}$  is a descendant of p. The initial cost for a candidate *CSE* can be safely charged when optimizing the *least common ancestor* group of all its potential consumer groups.

The least common ancestor group for a CSE can be calculated statically before the CSE optimization phase begins. Each group maintains a set of potential consumer groups of a CSE that are its descendants. Information about potential consumers is propagated recursively bottom-up. The first node that has collected information from all consumers of a CSE is the least common ancestor for that CSE. Note that different CSEs may have different least common ancestors.

Query optimization is done by traversing the operator tree in post order. Each subplan produced carries with it information about the plan, including which CSEs it uses and how many times each CSE has been used. At the least common ancestor, two actions are performed.

- Discard any plan with only one consumer of the *CSE*;
- Otherwise, add the initial cost for the *CSE*.

As a further improvement, we determine the least common ancestor dynamically instead of statically. For example,  $G_1$ is the original least common ancestor for the candidate in Example 10. Suppose the optimizer traverses the tree in the order  $G_0 \rightarrow G_1 \rightarrow G_3$ . After  $G_3$  has been optimized and if the resulting plan does not use the CSE (possibly due to some cheap index available), all remaining potential consumers come from the left branch of  $G_1$ . The optimizer can then dynamically designate  $G_2$  as the least common ancestor for the candidate. By doing so, we can add the initial cost at  $G_2$ , possibly pruning expensive plans earlier.

### 5.3 Multiple Candidates CSEs

So far we have discussed how to extend the optimizer to consider a single candidate CSE. We now consider how to handle multiple candidate CSEs. Because the optimizer initially charges only the usage cost for each consumer, it may prematurely prune out useful plans, solely based on the usage costs as illustrated by the following example.

**Example 11** Consider the a query with two equivalent (simplified) operator trees extracted from the memo DAG, as shown in Figure 5(a) and (c). The only difference between the two operator trees is the difference in join order of the trees rooted at  $G_4$ . Both groups  $G_5$  and  $G_7$  are children of  $G_4$  in the memo. We have two candidate CSEs, shown in Figures 5(b) and (d). Their least common ancestors are  $G_1$  and  $G_2$ , respectively.





Optimization proceeds bottom-up. For view substitutes at groups  $G_5$  and  $G_7$ , only the usage cost of the corresponding candidate is charged. At  $G_4$ , the optimizer chooses the cheaper of the two alternative plan trees and discards the other one. Assume that the usage cost of  $E_1$  is far less than that of  $E_2$ . Therefore, the optimizer prefers the plan using  $E_1$  and removes the other one.

However, the initial cost of  $E_1$  can be much higher than that of  $E_2$ . After taking the initial costs into account, the plan using  $E_2$  may actually be cheaper. But the optimizer cannot determine this until it processes their least common ancestors  $G_2$  and  $G_1$ . By that time, the plan using  $E_2$  has already been discarded. In this case, candidates  $E_1$  and  $E_2$ are mutually exclusive. The optimizer prematurely pruned out the useful plan purely by comparing usage costs. \*

The solution to this problem is to trigger optimization multiple times, each time specifying a different set of candidate CSEs to be considered. The optimizer may use any candidates in the set but is not required to. The set of candidates for the optimizer to consider is treated as part of required properties, which are propagated top-down as the optimizer traverses the memo structure. At the least common ancestor of a candidate, any returned plan with only one consumer is discarded as described before.

In the previous example, we optimize the query with three different sets,  $\{E_1, E_2\}$ ,  $\{E_1\}$ , and  $\{E_2\}$ . The optimizer then compares the three resulting plans with each other and also with other plans generated in normal optimization phases and chooses the cheapest one.

Unfortunately, this means that more optimization is required. The naive way is to optimize the query with every possible combination of candidate CSEs. With N candidates available, the number of optimizations would be  $2^N - 1$ . However, exploring the relationship among different candidates can help us reduce reoptimization significantly.

**Definition 5.2 (Competing/Independent** CSEs) Consider two candidate  $CSEs E_1$  and  $E_2$  and denote the least common ancestor group of all their potential consumers by  $G_1^{lca}$  and  $G_2^{lca}$ , respectively. If  $G_1^{lca}$  is either a descendant or an ancestor group of  $G_2^{lca}$ ,  $E_1$  and  $E_2$  are said to be competing CSEs. If  $E_1$  and  $E_2$  are not competing, they are said to be independent CSEs.

If  $E_1$  and  $E_2$  are competing CSEs, the optimizer at some level may have to choose between a plan using  $E_1$  and a plan using  $E_2$ . Because this decision would be based purely on the usage costs, it could potentially result in a suboptimal plan, as described in the previous example. Additional strategies with different sets of candidate CSEs enabled may have to be evaluated. On the other hand, if  $E_1$  and  $E_2$ are independent, their potential consumers are completely unrelated so the decision whether to use  $E_1$  has no effect on the decision whether to use  $E_2$ . Such information can be exploited to prevent unnecessary reoptimization work.

**Definition 5.3 (Independent** CSE **Set)** Let S be a set of candidate CSEs  $\{E_1, E_2, \dots, E_n\}$ . If every candidate  $E_i \in S$  is independent of all other candidates in S, S is an independent CSE set.

Before describing our pruning algorithm, we first present a few important observation. At each optimization step, some set of candidate CSEs is enabled.

**Proposition 5.4** Suppose S is a set of independent candidate CSEs. After the query has been optimized with the set S enabled, we can skip optimization for any set  $S_i$  such that  $S_i \subseteq S$ . If S is a set of independent candidate CSEs, the CSEs in S have totally unrelated sets of potential consumers and the decision whether to use a candidate or not is not affected by any other candidate in S. If the resulting plan uses a CSE  $E \ (E \in S)$ , it must be the case that using E is cheaper than not using E. It also follows that if the resulting plan does no use a  $CSE \ E \ (E \in S)$ , it must be the case that using E is more expensive than not using E. In either case, any optimization with a subset of S enabled is redundant.

**Proposition 5.5** Suppose  $S = T \cup R$ ,  $T \cap R = \emptyset$ , is a set of candidate CSEs such that all the candidates in T are independent of all other candidates in S. After the query has been optimized with S enabled, we can skip optimization for any set  $S_i$  such that  $S_i \subset S$ ,  $S_i \cap R = R$  and  $S_i \cap T \subset T$ .

Proposition 5.5 is a fairly straightforward generalization of Proposition 5.4 and the reasoning why we can skip the indicated sets is similar. The final proposition is based on the properties of the returned optimal plan at each step.

**Proposition 5.6** For each optimization, if the returned optimal plan uses a set  $S^u$  of candidate CSEs, the returned plan is optimal also if optimizing with only  $S^u$  enabled.

This property means that we can skip optimization for  $S^u$ . At the same time, we can treat the optimization as having been done with  $S^u$  enabled, and apply Proposition 5.5 to eliminate other combinations.

**Overall Procedure:** We begin by listing all  $2^N - 1$  subsets and sort them based on the number of CSEs in the set. We then perform CSE optimization in descending order, at each step enabling a different set of candidates. After each optimization, we apply Propositions 5.5 and 5.6 to eliminate combinations that have not yet been processed. This process continues until there are no more combinations to process. The final plan is the cheapest plan found.

**Example 12** Consider a query with four CSEs,  $\{E_1, E_2, E_3, E_4\}$ . We start by optimizing the query with all four CSEs enabled.

Case 1:  $\{E_1, E_2, E_3, E_4\}$  is a independent *CSE* set. No matter what the returned plan is, we are done. The returned best plan is the final optimal plan.

Case 2:  $E_1$  is competing with  $E_2$  and  $E_3$  is competing with  $E_4$  but  $E_1$  and  $E_2$  do not compete with  $E_3$  and  $E_4$ . That is, we have two sets,  $\{E_1, E_2\}$  and  $\{E_3, E_4\}$ , each set with consumers unrelated to the consumers of the other set.

If the returned best plan contains only  $\{E_1, E_2, E_3\}$ , by Proposition 5.5 and 5.6, we can skip combinations of  $\{E_1, E_2, E_3\}$  and  $\{E_1, E_2\}$ .

If the returned plan uses all the four candidates, in principle, we should try  $\{E_1\}$  and  $\{E_2\}$  for the first set of consumers, and  $\{E_3\}$  and  $\{E_4\}$  for the second set of consumers. However, our algorithm may still try combination of  $\{E_1, E_3, E_4\}$ (and others). It sounds redundant for the second set of consumers, but, in fact, there is little overhead because the optimizer knows that previous solution for the second set is still usable and returns the plan immediately, as described in the next section. Therefore, in the end, we only carry out the reoptimizations that are necessary.

Due to space limitation we cannot enumerate all possible cases but it is clear that the improved reoptimization strategy can save a lot of unnecessary work. \*

# 5.4 Exploiting Optimization History

The CSE optimization phase comes after normal optimization phases. Much optimization history has been collected and can be exploited. Even information collected during CSE reoptimization can be helpful for later reoptimizations with different sets of candidates enabled. Reoptimization with a different set of candidates can be much cheaper than a totally new optimization.

First, we only consider reoptimization for groups whose descendants contain potential consumers. Other groups are not affected by CSEs and their solutions can be reused.

Second, we treat the set of enabled CSEs as part of required properties. Previous optimization history on each group is heavily exploited. For example, if at a given group, the existing solution satisfies the new requirement and the new requirement satisfies the previous requirement, we can deduce that the existing solution is also optimal under the new requirement. We can also use optimization history to tighten the cost bounds, or deduce that no solution can be found at a particular group.

#### 5.5 Stacked Covering Subexpressions

Similar subexpressions can be shared at different levels. For example, a query may have two  $CSEs E_1 = A \bowtie B \bowtie C$ and  $E_2 = B \bowtie C \bowtie D$ . The two CSEs share another smaller subexpression  $E_3 = B \bowtie C$ . It could be beneficial to compute  $E_3$  first and use the result to compute  $E_1$  and  $E_2$ . Their results are then used to compute other parts of the query. By extending our algorithm to CSE expression constructions, we automatically consider this kind of optimization strategy. We demonstrate the usage of stacked CSEs in benchmark queries in Section 6.2.

#### 6. EXPERIMENTAL RESULTS

Our prototype implementation was built on Microsoft SQL Server. To demonstrate the benefits of exploiting similar subexpressions, we briefly outline several scenarios and describe experimental results. All experiments were performed on a workstation with a Pentium 4 3.0 GHz processor, 1GB of memory and one 160GB disk, running Windows XP. All queries were against a 1GB version (SF=1) of the TPC-H database.

When no candidate *CSEs* are generated in *Step* 2, the only overhead is from collecting table signatures, and, if there are shared table signatures, attempting to generate candidates. We ran the optimizer on several TPC-H queries that have no sharing opportunities and tried to measure the overhead of our algorithm. The overhead was so small that we could not reliably measure it.

We cannot experimentally compare our approach to techniques proposed in previous work. It is simply not feasible for us to implement all of them in our system. But as detailed in Section 7, all of them consider only one or a small set of candidate CSEs and none of them have a correct cost-based strategy to choose among multiple candidates.

### 6.1 A Query Batch

Our technique can detect and exploit similar subexpressions among the queries in a batch that are optimized and executed together. Our first experiment used a query batch consisting of the three queries in Example 1. Without pruning, the five candidate CSEs shown in Figure 6 were generated in *Step 2*. Details about predicates and output columns are omitted and table names customer, orders, lineitem are abbreviated to C, O, L, respectively. With pruning enabled, all but  $E_5$  were pruned out.



Figure 6: Candidate CSEs for Example 1

Candidates  $E_1$  to  $E_3$  are, as expected, joins of different sets of tables. Candidate  $E_4$  was generated because the optimizer considered preaggregation of the join of orders and lineitem. Candidate  $E_5$  had a consumer in  $Q_3$  too because the optimizer also considered preaggregation of the join result, followed by a join with nation, and final aggregation.

Applying the heuristics in Section 4.3 reduced the set of candidates to only  $E_5$  (see below).  $E_1$  was pruned out by Heuristic 1 because the join was too cheap.  $E_2$ ,  $E_3$ , and  $E_4$  were pruned out by Heuristic 4 because they were all contained by  $E_5$  and  $E_5$  produces the smallest result.

```
E<sub>5</sub>: select c_nationkey, c_mktsegment,
sum(l_extendedprice) as vle, sum(l_quantity) as vlq
from customer, orders, lineitem
where c_custkey = o_custkey and o_orderkey = l_orderkey
and o_orderdate < '1996-07-01'
and c_nationkey > 0 and c_nationkey < 25
group by c_nationkey, c_mktsegment
```

With pruning disabled, all five candidates were given to the optimizer for consideration but with heuristic pruning enabled, only  $E_5$  was considered. In both cases the optimizer chose the same final plan that used  $E_5$  only. This verified that our heuristics pruned out the correct candidates and did not miss any optimization opportunities.

In the final plan  $E_5$  is computed once and its result is used by all three queries as shown below (expressed in SQL).  $Q'_1$ : select \* from  $E_5$ 

```
where c_nationkey > 0 and c_nationkey < 20
```

```
Q_2': {\tt select c_nationkey, sum(vle)} \ {\tt as le, sum(vlq)} \ {\tt as lq} \ {\tt from} \ E_5 where c_nationkey > 5 and c_nationkey < 25 group by c_nationkey
```

We compared three scenarios: regular optimization without CSEs, optimization using CSEs with heuristic pruning, and optimization using CSEs without heuristic pruning. For all three scenarios, we recorded the number of candidate CSEs generated, number of additional CSE optimizations (in brackets), estimated cost of the chosen plan, and actual optimization and execution time, as shown in Table 1.

|                          | No<br>CSE | Using<br>CSEs | Using CSEs<br>(no heuristics) |
|--------------------------|-----------|---------------|-------------------------------|
| # of CSEs [CSE Opts]     | N/A       | 1 [1]         | 5[15]                         |
| Optimization time (secs) | 0.159     | 0.213         | 0.383                         |
| Estimated cost           | 539.93    | 206.47        |                               |
| Execution time (secs)    | 165.54    |               | 55.64                         |

Table 1: Query batch  $(Q_1, Q_2, Q_3)$  in Example 1 With pruning enabled, clearly we only need one CSE optimization for one candidate. Without pruning enabled, all five candidate *CSEs* are competing against each other. Nevertheless, our optimization algorithm in Section 5.3 reduces the number of optimizations down to 15 (from 31). Most of these optimizations are cheap because thay exploit previous optimization history.

We achieve close to a 3X reduction in execution time with a modest increase in optimization time. Applying heuristic pruning significantly reduced the optimization overhead. The overall increase in optimization time is negligible compared with the savings in execution time.

In this example there are many different ways for a user to rewrite the queries using WITH clauses. In fact, each candidate in Figure 6 can be written using a WITH clause. But only one rewrite (using  $E_5$ ) achieves optimal performance. This illustrates the danger of relying on user-defined WITH clauses to find the best common subexpressions. An optimizer can consider all options and choose among them in a cost-based manner.

# 6.2 Stacked CSEs

The optimal choice of CSEs can be quite different with a slightly different query batch. In the second experiment, we added another query  $Q_8$  to the query batch in the previous experiment.

```
Q8: select p_type, sum(p_availqty) as qty
from part, orders, lineitem
where p_partkey = l_partkey and o_orderkey = l_orderkey
and o_orderdate < '1996-07-01'
order by p_type</pre>
```

Without pruning, the same set of five candidate CSEs shown in Figure 6 were generated. Enabling pruning reduced the set of candidates to  $E_2$  and  $E_5$ .  $E_2$  could not be pruned out because  $Q_8$  contains a potential consumer for it so that  $E_2$  was no longer fully contained by  $E_5$ .

The final plan used both  $E_2$  and  $E_5$ . The result of  $E_2$  is used to answer  $Q_8$  and, more interestingly, it is also used to compute  $E_5$ . The result of  $E_5$  is then used to compute the first three queries in the same way as before. We show  $E_2$ , the new  $V'_5$  and  $Q'_8$  in SQL below.

E2: select o\_custkey, l\_partkey, l\_extendedprice, l\_quantity from orders, lineitem where o\_orderkey=l\_orderkey and o\_orderdate<'1996-07-01'</p>

```
 \begin{array}{l} E_5': \texttt{select c_nationkey, c_mktsegment,} \\ & \texttt{sum(l_extended price) as vle, sum(l_quantity) as vlq} \\ & \texttt{from customer, } E_2 \\ & \texttt{where c_custkey = o_custkey} \\ & \texttt{and c_nationkey > 0 and c_nationkey < 25} \\ & \texttt{group by c_nationkey, c_mktsegment} \end{array}
```

 $Q_8': {\tt select p_type, sum(p_availqty)} \ {\tt as qty} \\ {\tt from part, } E_2 \\ {\tt where p_partkey = l_partkey} \\ {\tt group by p_type} \end{cases}$ 

|                          | No     | Using  | Using CSEs      |
|--------------------------|--------|--------|-----------------|
|                          | CSE    | CSEs   | (no heuristics) |
| # of CSEs [CSE Opts]     | N/A    | 2 [1]  | 5 [7]           |
| Optimization time (secs) | 0.215  | 0.321  | 0.518           |
| Estimated cost           | 716.03 | 372.06 |                 |
| Execution time (secs)    | 216.40 |        | 85.94           |

#### Table 2: Query batch $(Q_1, Q_2, Q_3, Q_8)$

Table 2 shows the results for the query batch of  $Q_1$ ,  $Q_2$ ,  $Q_3$ , and  $Q_8$ . Exploiting similar subexpressions greatly reduces the execution time. The additional query results in a different overall choice of covering subexpressions, which confirms the importance of full cost-based optimization.

# 6.3 Nested Subquery

A complex decision-support query may contain several subqueries that are similar, providing great opportunities for exploiting similar subexpressions between subqueries and the main query block or among different subqueries.

We ran an experiment with a nested query that is similar to Query 11 in the TPC-H benchmark  $^2$ . Both the main query and the subquery contain a join of *customer*, *orders*, and *lineitem*, although they provide different aggregated values and output different columns.

```
Q_9: select c_nationkey, n_name, sum(l_discount)
from customer, orders, lineitem, nation
where c_custkey = o_custkey and o_orderkey = l_orderkey
and c_nationkey = n_nationkey
group by c_nationkey, n_name
having sum(l_discount) > (
    select sum(l_discount) / 25
from customer, orders, lineitem
where c_custkey = o_custkey and o_orderkey = l_orderkey)
order by totaldisc desc
Agg_c_nationkey
```



Figure 7: Candidates for  $Q_9$ 

Without heuristic pruning the system generated four candidate CSEs, as shown in Figure 7, but only  $E_4$  was used in the final plan. With heuristic pruning enabled, only  $E_4$ was generated and also used in the same final plan.  $E_1$  was pruned out by Heuristic 1 while  $E_2$  and  $E_3$  were pruned out by Heuristic 4. Again, our heuristics pruned out the correct candidates. We show  $E_4$  and the rewritten query below.

- $E_4$ : select c\_nationkey, sum(l\_discount) as totaldisc from customer, orders, lineitem where c\_custkey = o\_custkey and o\_orderkey = l\_orderkey group by c\_nationkey
- $Q'_9$ : select c\_nationkey, n\_name, totaldisc from  $E_4$ , nation where c\_nationkey = n\_nationkey having totaldisc > (select sum(totaldisc)/25 from  $E_4$ ) order by totaldisc desc

Table 3 shows the results with and without using CSEs (with pruning enabled). In this case, we cut execution time by half, again with a modest increase in optimization time.

|                          | No     | Using  | Using CSEs      |
|--------------------------|--------|--------|-----------------|
|                          | CSE    | CSEs   | (no heuristics) |
| # of CSE [CSE Opts]      | N/A    | 1 [1]  | 4 [8]           |
| Optimization time (secs) | 0.138  | 0.197  | 0.295           |
| Estimated cost           | 442.61 | 240.49 |                 |
| Execution time (secs)    | 135.26 |        | 67.67           |

 Table 3: Nested Query

#### 6.4 Materialized View Maintenance

A database may contain many similar materialized views. Every affected materialized view has to be maintained after an update, so it may be possible to reduce maintenance overhead by optimizing the maintenance expressions together and exploiting similar subexpression.

Our technique can be applied to optimizing view maintenance plans. When a base table is updated, the updated tuples are stored in an internal work table, called a *delta* table, and the table is then used to drive maintenance for all affected views. We treat the delta table as a special table when generating table signatures and constructing CSEs.

To verify our prototype, we created three materialized views whose expression are the same as the three queries in Example 1. When updating the *customer* table, maintenance time was reduced by a factor of three using a CSE similar to  $E_5$  in Example 1. We omit the details due to space limitation.

#### 6.5 Scaleup Analysis

We also conducted experiments to assess the performance of our approach for increasing number of queries and for larger queries.

First, we consider the effect of increasing the number of queries. We created several query batches with different number of queries. Similar to  $Q_1$ ,  $Q_2$  or  $Q_3$ , each query contains joins of tables *lineitem*, orders, and customer, but has different local predicates, group on different columns, and may also join additional tables *nation* and *region*.



Figure 8 shows estimated costs and optimization time for query batches with two to ten queries. With pruning enabled, one or two candidate CSEs were generated, compared to four or five candidates without pruning. In either case, a single CSE was used in the final plan for each query batch. As expected, the cost benefit is proportional to the number of queries in the batch. With pruning enabled, the CSE optimization overhead is very small and the optimization time increases linearly with the number of queries in the batch. The results indicate that our approach scales well with increasing batch sizes.

|                          | No     | Using | Using CSEs      |
|--------------------------|--------|-------|-----------------|
|                          | CSE    | CSES  | (no neuristics) |
| # of CSEs [CSE Opts]     | N/A    | 2[2]  | 51 [391]        |
| Optimization time (secs) | 2.103  | 3.892 | 12.745          |
| Estimated Cost           | 294.57 |       | 173.45          |
| Execution time (secs)    | 81.45  |       | 48.73           |

Table 4: Complex Joins

Second, we verified how well our approach scales up with query size. We used a query batch consisting of two queries. Each query joins all eight tables in TPC-H and finally aggregates by *region*. Each query also contains different local predicates. Without heuristics enabled, 51 candidate CSEs were generated. Most of the candidates were either cheap or contained by other candidates. By exploiting the fact that some candidates are independent of each other, the number of optimizations can be significantly reduced. With heuristics enabled, only two candidates were generated and two optimizations were performed. Using CSEs, we achieved almost a 2X reduction in plan costs with a modest increase in optimization time.

 $<sup>^2 \</sup>rm Query~2$  and 15 are also similar nested queries but they can be computed cheaply and thus are of less interest.

# 7. RELATED WORK

There is a large body of research on multi-query optimization [3, 10, 13, 15, 14, 16]. The idea of exploiting similar subexpressions has also been applied to materialized view selection [8, 9, 12] and optimization of queries with nested subqueries [11]. In this paper, we propose a uniform solution to all three problems.

Early work on multi-query optimization [10, 15, 14] focused primarily on expensive exhaustive algorithms and the solutions were not integrated with the system's query optimizer. The work in [3, 16] was limited to finding common subexpressions in a post-optimization phase and considering sharing opportunities only among the best plans for each query. This can obviously lead to suboptimal plans.

Roy et al. [13] were the first to describe integration of multi-query optimization features into a Volcano-style optimizer. However, the proposed solution is somewhat limited and may miss certain important optimization opportunities. First, every covering expression is constructed to cover all its potential consumers, which, as observed in Section 4.3.2, may result in expressions producing large results. Second, their optimization algorithm does not consider multiple competing covering expressions correctly and may incorrectly prune out an alternative based on usage cost alone. The proposed greedy algorithm does not always produce an optimal solution. For example, it misses the case when using either covering expressions  $e_2$  or  $e_3$  alone is less efficient than using  $e_1$ , but using both  $e_2$  and  $e_3$  is more beneficial than using  $e_1$ . Finally, it requires extensive and fundamental modifications to the optimizer, something database vendors are reluctant to do because of cost and quality concerns.

Maintenance cost for a set of materialized views can sometimes be reduced by creating supporting materialized views. Ross et al. [12] considered how to determine the best set of supporting views given a limited amount of space. Mistra et al. [9] applied multi-query optimization techniques to speed up maintenance of a set of views. Lehner et al. [8] also considered exploiting similar subexpressions when maintaining multiple materialized views. They create the widest possible covering subexpression and force each consumer to use it in the final plan. The covering subexpression is also designed to cover all potential consumers. The paper does not discuss how to consider multiple competing covering expressions. Folkert et al. [4] proposed a refresh scheduling algorithm such that materialized views can be refreshed using query rewrite against previously refreshed materialized views. Our solution can achieve the same improvement but is much more general. The common subexpressions can be either the views themselves or part of them.

Rao and Ross [11] studied the problem of exploiting invariant parts of a nested subquery. Our technique can be applied to nested queries and achieve the same effect.

Automated selection of indexes and views for a given workload is described in [1]. Our solution automatically considers using existing indexes and views in order to generate the optimal plan. Queries can benefit from exploiting similar subexpressions, no matter whether the workload information is available.

# 8. CONCLUSION

In this paper, we present a practical, scalable, and uniform solution to detecting and exploiting similar subexpressions to improve query performance. It is applicable to all similar subexpressions no matter whether they originate from a single query, multiple queries or view maintenance expressions. Our table signature technique finds potentially sharable subexpressions very efficiently. There is virtually no overhead when queries do not have any sharable expression. We consider all possible covering subexpressions, including popular (with most consumers) ones and less popular (with fewer consumers) ones, wide (more tables) ones and narrow (fewer tables) ones, etc. The query optimizer evaluates different candidates in fully cost-based manner.

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